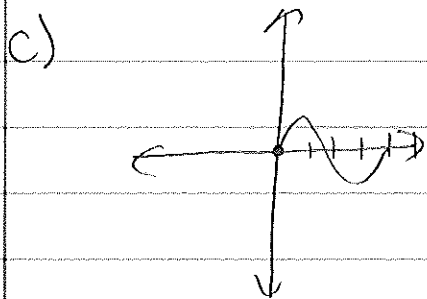


Sec 2.8 day 1 page 162 (1-5, 8, 10)

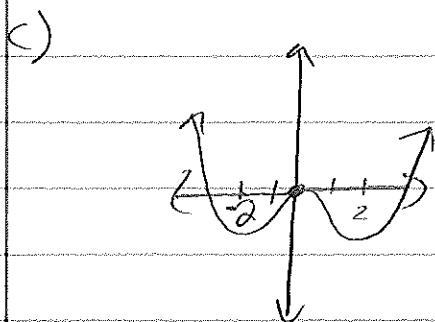
① a) $f \uparrow$ when $f' > 0$ so on $(0, 1)$ and $(4, 5)$
 $f \downarrow$ when $f' < 0$ so on $(1, 4)$

b) $x = 1$ local max
 $x = 4$ local min



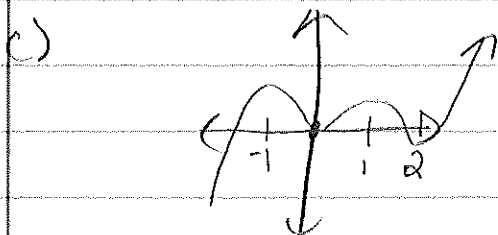
② a) $f \uparrow$ on $(-2, 0)$ and $(2, 3)$
 $f \downarrow$ on $(-3, -2)$ and $(0, 2)$

b) $x = 0$ local max
 $x = -2$ and $x = 2$ local min



③ a) $f \uparrow$ on $(-2, -1)$, $(0, 1)$, and $(2, 3)$
 $f \downarrow$ on $(-1, 0)$ and $(1, 2)$

b) $x = -1$ and $x = 1$ local max
 $x = 0$ and $x = 2$ local min



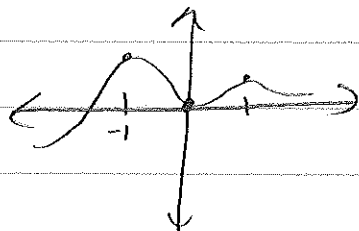
④ a) $f \uparrow$ on $(-2, -1)$ and $(0, 1)$

$f \downarrow$ on $(-1, 0)$ and $(1, 2)$

b) $x = -1$ and $x = 1$ local max

$x = 0$ local min

c)



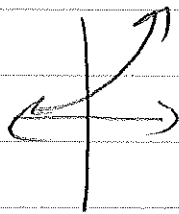
⑤ $f' \uparrow$ when f'' is $+$, $f'' +$ when f is CU

so $f' \uparrow$ on $(2, 5)$.

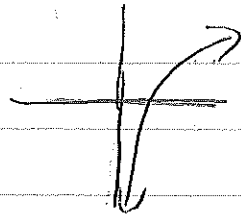
$f' \downarrow$ when f'' is $-$, $f'' -$ when f is CD

so $f' \downarrow$ on $(-\infty, 2)$ and $(5, \infty)$

⑧ a)



b)



c) $y = e^x$
 $y = \ln x$

⑩ a) The rate of increase in the population is initially very small, then gets larger until it reaches a maximum at about $t = 8$ hours, and decreases toward 0 as the population begins to level off.

b) $t = 8$ hours

c) CU on $(0, 8)$ CD on $(8, 18)$

d) IP is when graph changes concavity
so at @ $(8, 350)$